

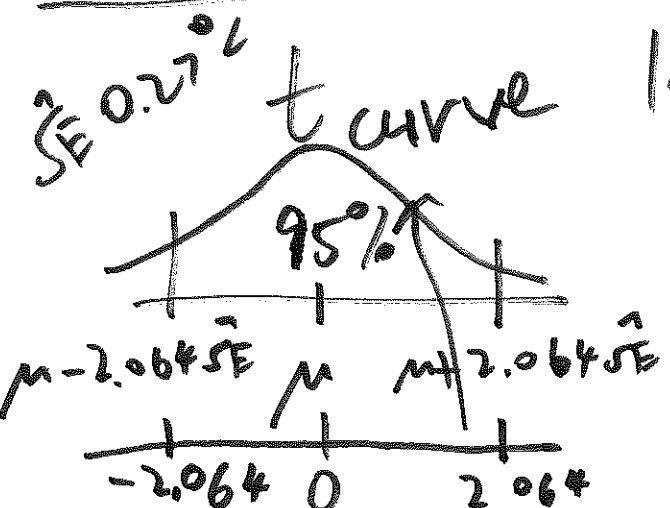
this confidence  
 time: intervals  
 next for means  
 time: & proportions

read: LN pp.  
 L-145 + L-160

AMS  
 15 May  
 17

intertidal crabs  
 p. L-139 case study

on the basis of this dataset, I  
 think  $\mu$  is around  $25.0^\circ\text{C}$  ( $\bar{y}$ )  
 give or take about  $0.27^\circ\text{C}$  ( $SE(\bar{y})$ ),  
 & I'm 95% confident that  $\mu$  is  
 somewhere between  $24.5^\circ\text{C}$  &  $25.6^\circ\text{C}$   
 normal curve:  $\bar{y} \pm 2SE$  for 95% conf.



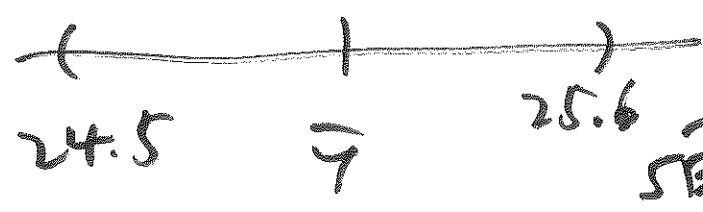
t curve long run hist of  $\bar{y}$ ,  
 accounting for  
 uncertainty in  $\sigma$   
 (& with a sample  
 hist. that's close  
 to normal)

$t_{(n-1)} = t_{24}$  ( $n=25$ )

↑ degrees of freedom

t table: areas under various  
t curves with various # of  
degrees of freedom:  $L - 1 = 142$

95% confidence interval (CI) Jerzy Neyman:  
(Jerry) (~1930)



$SE(\bar{y}) = 0.27^\circ C$

$25.0^\circ C$

2.064 ← here

$\bar{y} \pm t_{n-1}^{0.95} SE(\bar{y})$

conventional  
choice

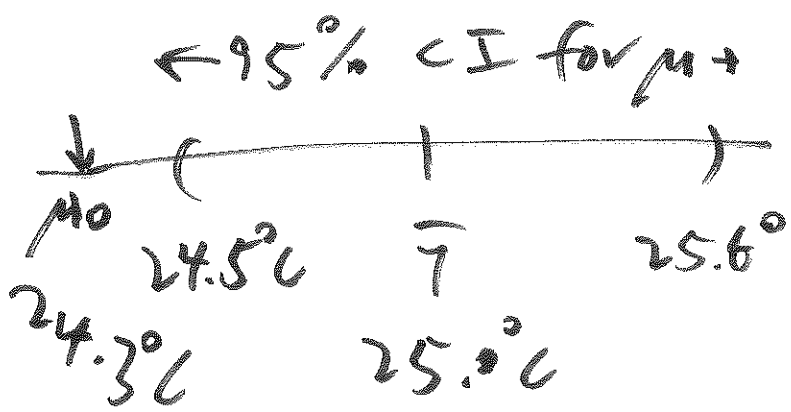
$25.0^\circ C \pm$

$(2.064)(0.27^\circ C)$

$= (24.5^\circ C, 25.6^\circ C)$

the # (from t table)  
such that the area  
in the middle with  
(n-1) d.f. is 95%

$t_{n-1, 0.95} = t_{n-1}^{0.95}$



theory value <sup>③</sup>  
 of  $\mu$ :  $\mu_0$

here  $\mu_0 = 24.3^\circ\text{C}$

Since  $\mu_0 = 24.3^\circ\text{C}$  is **NOT** in the 95% CI for  $\mu$ , the dataset

does **not** support the theory

that  $\mu = 24.3^\circ\text{C}$

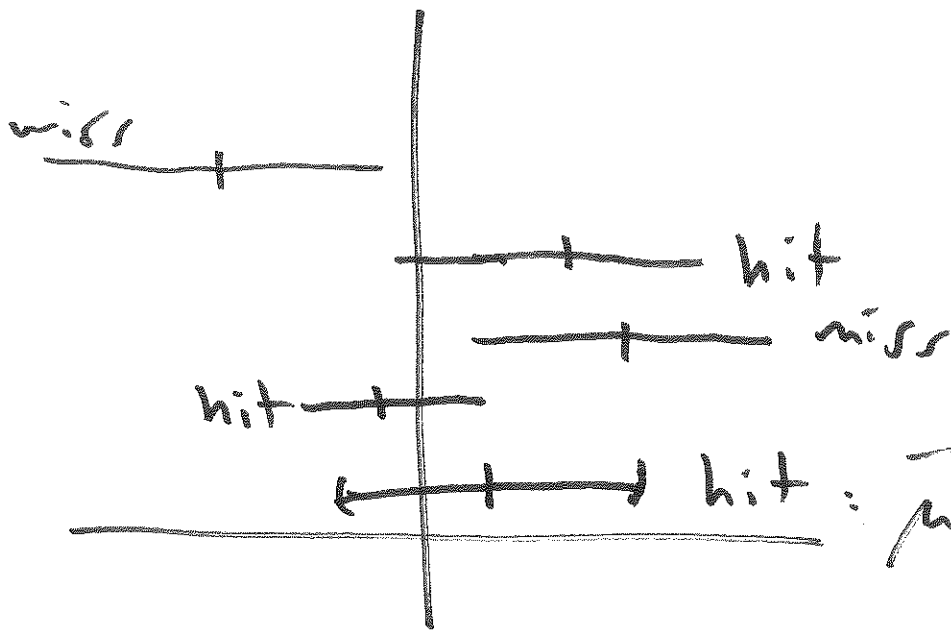
95% CI was from 24.5°C to 25.6°C

Does this mean that

$P_{RS} (24.5^\circ\text{C} < \mu < 25.6^\circ\text{C}) = 95\%$ ?

repeated-sampling  
 (frequentist)

**A** Unfortunately **no**.  
 $\mu$  is just a fixed unknown #, not moving around when anything is repeated



about 95%  
of the  
CIS would  
include

$\mu$  is in this  
CI

$\mu$

pp. L - 152 - 130