

Discussion

Disc. Sec 6 #1

AMS 7
22 May
2017

Section, week
of 22-26 May
2017

p. R - (62)

(a) $\bar{y}_{old} = 28.1 \text{ kg}$ ①

$\bar{y}_{new} = 26.0 \text{ kg}$

new
wt. of sea

$$\frac{\bar{y}_{new} - \bar{y}_{old}}{\bar{y}_{old}} =$$

$$\frac{26.0 \text{ kg} - 28.1 \text{ kg}}{28.1 \text{ kg}} = \frac{-2.1}{28.1}$$

$$= -0.075$$

offers in Elkhorn Slough
declined by 7.5% in 5 years + 1.5%/yr

\therefore (a) is true

1.5%/yr for 2 yr may not be practicing,
but added up over 5 yrs to become
7.5%, now it is practicing.

inferential
summary

P	unknown pop. summary of main interest	$\mu =$ pop. mean wt. of all 600 offers
S	estimate of μ	$\bar{y} = 26.0 \text{ kg}$
↑	give or take for \bar{y} vs est. of μ	$SE(\bar{y}) = \frac{s}{\sqrt{n}} = 0.6 \text{ kg}$
②	95% CI for μ	$\bar{y} \pm 2.02 SE = 26.0 \text{ kg} \pm (2)(0.6 \text{ kg})$ $= 26.0 \text{ kg} \pm 1.2 \text{ kg}$

pop. (stat. inf.)
 all sea otters at E. Sl. in 2nd part of the study (2019)

Sample the observed sea otters

imag. data ②
 all possible \bar{y} 's

$N = 600$

weight (kg.)
 like ~~SPS~~ = IID
 actual
 $n = 42$
 mean $\bar{y} = 26.0$ kg
 SD $s = 4.8$ kg

26.0
 \sim
 \vdots
 $n \rightarrow \infty$

mean $\mu = ?$
 SD $\sigma = ?$

pop. hist.

hyp. IID
 sample hist

EV of $\bar{y} = \mu$

EV of \bar{y}
 mean $\bar{y} = ?$
 $n = 42$

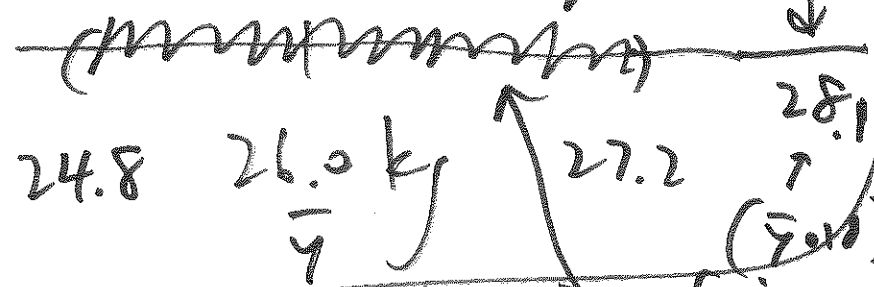
SE of $\bar{y} = 0.6$ kg

SE 0.6 kg
 CLT?

$E_{IID}(\bar{y}) = \mu$ SE of $\bar{y} =$
 $SE_{IID}(\bar{y}) = \frac{s}{\sqrt{n}} = \frac{4.8}{\sqrt{42}} \approx 0.74$ kg

④ t_{41} 95%
 low n hist of \bar{y} accounting for uncertainty in σ
 $\leftarrow 2.02$

95% CI for μ



Since 28.1 is not in the 95% CI, the difference

between 28.1 (old) & 26.0 (new) is stat sig

is not easy to attribute to unlucky sampling \leftrightarrow is probably real!

(d) true (look at interval)

(e) true by this reasoning

weight of 600 of offers

Note: A 95% CI for μ says nothing about any single offer

to make it true, replace 0.6 by

(c) false:

(b) also false: replace 0.2 by $\sigma = 4.0$

uncertainty about \bar{y} as est. of μ

replace 0.6 by 4.0 = 5 for uncertainty of 1 offer at a time