

This time: Sample Size determination

Next time: 2-sample problems

read: DO LN → pp. 186 - L-213

p. L-174 → L-194 ← what we went over in class

makeup office hour DO: wed 1:15 - 2:15pm Jack's Lounge

* We will need at least 1 makeup class at end of quarter: early in finals week (webcast)

HW #3 is due on Friday @ 11:59 pm on canvas

Sample Size determination

R-58

L-175

$$n = \frac{[(t_{n-1})^{(1-\alpha)(2)}]^2 s^2}{(\mu_0 - \mu_A)^2} *$$

always round up w/ sample size calculations

L-178

Type I error - false rejection of null (worse than type II) ↗ not always true
 Type II error - false acceptance of null] want both to be small
 β → want $1 - \beta$ to be large so β is small

α = significance level of the test

β = power of the test

obs. you need @ least:

- (1) for 1-tailed test,
- (2) for 2-tailed test

$$n = \frac{[(t_{n-1})^{(1-\alpha)(?) + (t_{n-1})^{(1-\beta)(1)}}]^2 s^2}{(\mu_0 - \mu_A)^2}$$

L-181

HW #3 ex.

# tails	α	Power ($1-\beta$)	n
2	.05	.8	104
1	.05	.8	82
2	.01	.8	155
⋮	⋮	⋮	⋮

(ss. calc)

So CIs are like doing sig test at 50% power

How do you compare 2 samples

- 1.) paired comparisons
- 2.) analysis of 2 independent samples

2 cases to consider

$$\frac{\bar{y}_T - \bar{y}_C}{\bar{y}_C}$$

you can compare A + B (before + after) by finding the difference between the two (B-A) → statsig

$$\frac{\bar{y}_A - \bar{y}_B}{\bar{y}_B}$$

* Look at formula sheet *

L R-23